

Chapter 4 / Example 17

Drawing straight-line graphs

Draw the graph of the lines:

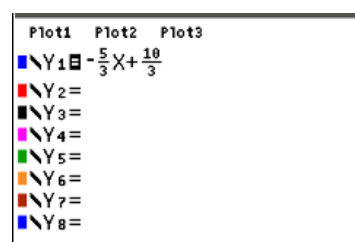
a $5x + 3y = 10$

b $y = \frac{1}{3}x + 4$

Press $[f1]$ $[y=]$ to display the equation entry screen.

Rearrange the equation in gradient-intercept form, type $-\frac{5}{3}x + \frac{10}{3}$ and press $[enter]$ to enter the first equation as Y_1 .

Press $[ALPHA]$ $[f1]$ 1:n/d to select the fraction template to enter the fractions.

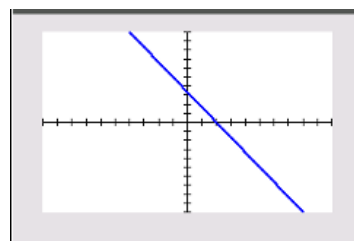


Press $[f5]$ $[graph]$ to display the graph screen

The GDC now displays the straight-line graph:

$$Y_1 = -\frac{5}{3}x + \frac{10}{3}$$

With the default axes, $-10 \leq x \leq 10$ and $-10 \leq y \leq 10$.

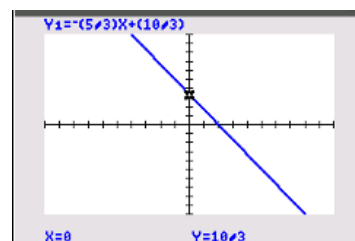


The x-intercept is a zero of the function.

To find the y-intercept press $[2nd]$ $[f4]$ $[calc]$ 1:value

Press $[0]$ $[enter]$ to change the x-coordinate to 0.

The GDC displays the coordinates of the y-intercept, $(0, \frac{10}{3})$.

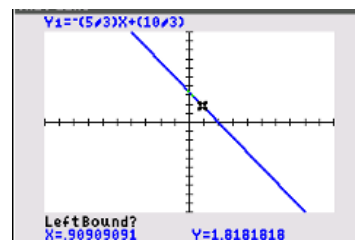


To find the zeros press $[2nd]$ $[f4]$ $[calc]$ 2:zero

You will need to give the left and right bounds of the region that includes the zero.

The GDC shows a point on the curve and asks you to set the left bound. Move the point using $[right]$ $[left]$ and choose a position to the left of the zero.

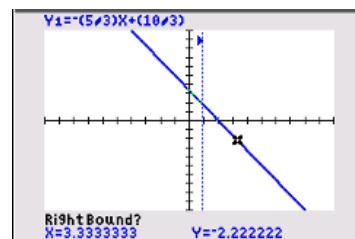
Press $[enter]$.



The GDC shows a line where you have set the left bound and a point on the curve.

Move the point using $[right]$ $[left]$ and choose a position to the right of the zero.

When the region contains the zero, Press $[enter]$.

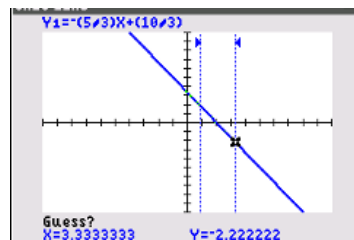


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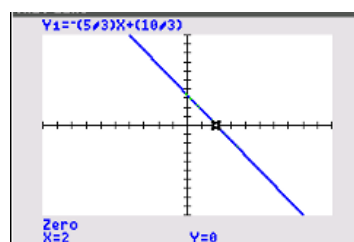
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The GDC requires an initial guess for the position of the zero. Choose the default position.

Press **enter**.



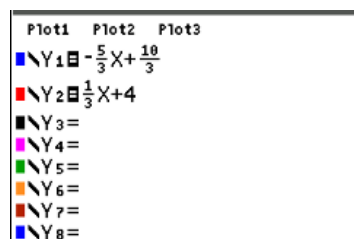
The GDC displays a zero at $(2, 0)$.



To draw the line $y = \frac{1}{3}x + 4$ press **[f1]** **[Y=]** to display the equation entry screen.

Type $\frac{1}{3}x + 4$ and press **enter** to enter the second equation as Y_2 .

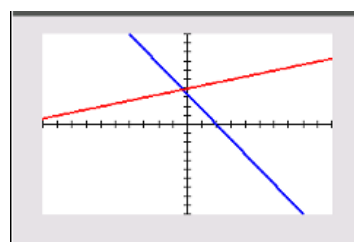
Press **[ALPHA]** **[f1]** 1:n/d to select the fraction template to enter the fractions.



Press **[f5]** **[graph]** to display the graph screen.

The GDC now displays the straight-line graph $Y_2 = \frac{1}{3}x + 4$

With the default axes, $-10 \leq x \leq 10$ and $-10 \leq y \leq 10$.

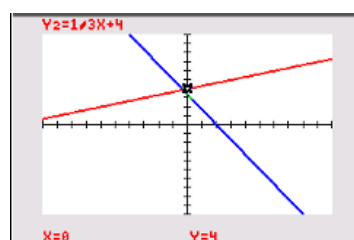


To find the y -intercept press **[2nd]** **[f4]** **[calc]** 1:value

Press **[0]** **enter** to change the x -coordinate to 0.

Press **[▲]** to select the function Y_2 .

The GDC displays the coordinates of the y -intercept, $(0, 4)$.



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To view the zero of Y_2 you will need to change the axes to include points further to the left.

Press $[f2]$ $\boxed{\text{window}}$

Change Xmin to -15 and leave the other items as they are.

Press $[f5]$ $\boxed{\text{graph}}$ when you have finished.

```

WINDOW
Xmin=-15
Xmax=10
Xsc1=1
Ymin=-10
Ymax=10
Ysc1=1
Xres=1
ΔX=.09469696969697
TraceStep=.18939393939394
  
```

The x-intercept is a zero of the function.

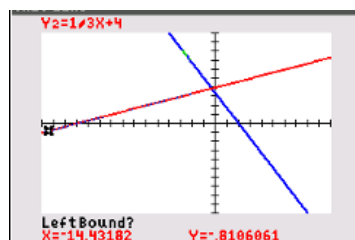
To find the zeros press $[2nd]$ $[f4]$ $[calc]$ 2:zero

Press $\boxed{\uparrow}$ to select the function Y_2 .

You will need to give the left and right bounds of the region that includes the zero.

The GDC shows a point on the curve and asks you to set the left bound. Move the point using $\boxed{\rightarrow}$ $\boxed{\leftarrow}$ and choose a position to the left of the zero.

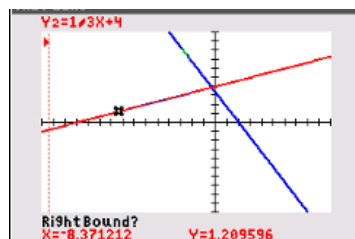
Press $\boxed{\text{enter}}$.



The GDC shows a line where you have set the left bound and a point on the curve.

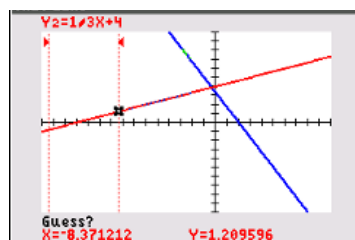
Move the point using $\boxed{\rightarrow}$ $\boxed{\leftarrow}$ and choose a position to the right of the zero.

When the region contains the zero, Press $\boxed{\text{enter}}$.



The GDC requires an initial guess for the position of the zero. Choose the default position.

Press $\boxed{\text{enter}}$.



The GDC displays a zero at $(-12, 0)$.

